

# A Model of a Fragment of English

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# Announcements

- ▶ For tomorrow (but can probably wait until next Tuesday)
  - ▶ Read van Eijck and Unger Chapter 8
- ▶ For 10/19
  - ▶ HW2 due
  - ▶ Paper Presentation Ideas due

# Today's Plan

- ▶ Paper Presentation Ideas: Discourse and Dialogue, and Multimodal Semantics
- ▶ Predicate Logic Exercises
- ▶ User-defined Data Types
- ▶ A Model of a Fragment of English

# Discourse and Dialogue

- ▶ AMR for dialogue: Bonial et al. 2020. Dialogue-AMR: Abstract Meaning Representation for Dialogue. Proceedings of LREC.
- ▶ TalkMoves in the classroom: Suresh et al. 2022. The TalkMoves Dataset: K-12 Mathematics Lesson Transcripts Annotated for Teacher and Student Discursive Moves. Proceedings of LREC.
- ▶ Also see SIGDIAL, SemDial venues

# Multimodal Semantics

- ▶ Aligning images and text with semantic role labels: Bhattacharyya et al. 2022. *Aligning Images and Text with Semantic Role Labels for Fine-Grained Cross-Modal Understanding*. Proceedings of LREC.
- ▶ Aligning visual and textual vector spaces: Yun, Kim, and Jung. 2022. *Modality Alignment between Deep Representations for Effective Video-and-Language Learning*. Proceedings of LREC.
- ▶ Also see [Multimodal Semantic Representations workshop](#)

# Semantics of Predicate Logic

- ▶ **Exercise 5.18** Translate the following sentences into predicate logic, making sure that their truth conditions are captured.
  - ▶ Someone walks and someone talks.
  - ▶ No wizard cast a spell or mixed a potion.
  - ▶ Every balad that is sung by a princess is beautiful.
  - ▶ If a knight finds a dragon, he fights it.

# Semantics of Predicate Logic

- ▶ **Exercise 5.18** Translate the following sentences into predicate logic, making sure that their truth conditions are captured.
  - ▶ Someone walks and someone talks.
    - ▶  $\exists x(\text{Person}(x) \wedge \text{Walk}(x)) \wedge \exists y(\text{Person}(y) \wedge \text{Talk}(y))$
  - ▶ No wizard cast a spell or mixed a potion.
    - ▶  $\neg \exists x(\text{Wizard}(x) \wedge (\exists y(\text{Spell}(y) \wedge \text{Cast}(x, y)) \vee \exists z(\text{Potion}(z) \wedge \text{Mix}(x, z))))$
  - ▶ Every balad that is sung by a princess is beautiful.
    - ▶  $\forall x((\text{Ballad}(x) \wedge \exists y(\text{Princess}(y) \wedge \text{Sing}(y, x))) \rightarrow \text{Beautiful}(x))$
  - ▶ If a knight finds a dragon, he fights it.
    - ▶  $\forall x \forall y((\text{Knight}(x) \wedge \text{Dragon}(y) \wedge \text{Find}(x, y)) \rightarrow \text{Fight}(x, y))$

# Computational Semantics

## Day 2: Meaning representations and (predicate) logic

Jan van Eijck<sup>1</sup> & Christina Unger<sup>2</sup>

<sup>1</sup>CWI, Amsterdam, and UiL-OTS, Utrecht, The Netherlands

<sup>2</sup>CITEC, Bielefeld University, Germany

ESLLI 2011, Ljubljana



# Type definitions

## General form:

$$\text{data type\_name (type\_parameters)} = \begin{array}{l} \text{constructor}_1 \ t_{11} \dots t_{1i} \\ | \\ \text{constructor}_2 \ t_{21} \dots t_{2j} \\ | \\ \dots \\ | \\ \text{constructor}_n \ t_{n1} \dots t_{nk} \end{array}$$

## This can be used to create:

- enumeration types
- composite types
- recursive types
- parametric types

## Example: Enumeration types

$$\text{data type\_name (type\_parameters)} = \begin{array}{l} \text{constructor}_1 t_{11} \dots t_{1i} \\ | \\ \text{constructor}_2 t_{21} \dots t_{2j} \\ | \\ \dots \\ | \\ \text{constructor}_n t_{n1} \dots t_{nk} \end{array}$$

### Examples:

```

module Day2 where
  --data Bool = True | False

data Season = Spring | Summer | Autumn | Winter

data Temperature = Hot | Cold | Moderate

```

## Example: Enumeration types

Now, we can define a function using objects of type `Season` and `Temperature`.

```
weather :: Season -> Temperature
weather Summer = Hot
weather Winter = Cold
weather _      = Moderate
```

## Example: Enumeration types

Now, we can define a function using objects of type `Season` and `Temperature`.

```
weather :: Season -> Temperature
weather Summer = Hot
weather Winter = Cold
weather _      = Moderate
```

But user-defined types do not automatically have operators for equality, ordering, show, etc.

```
> weather Spring
```

No instance for (Show Temperature)

arising from a use of 'print' at <interactive>:1:0-13

## Instance declarations for Show

In order to display user-defined types, we can either define the function `show :: Typename -> String` explicitly ...

```
instance Show Season where
  show Spring = "Spring"
  show Summer = "Summer"
  show Autumn = "Autumn"
  show Winter = "Winter"
```

## Instance declarations for Show

In order to display user-defined types, we can either define the function `show :: Typename -> String` explicitly ...

```
instance Show Season where
  show Spring = "Spring"
  show Summer = "Summer"
  show Autumn = "Autumn"
  show Winter = "Winter"
```

... or derive it.

```
data Season = Spring | Summer | Autumn | Winter
  deriving Show
```

## Example: Composite types

$$\text{data type\_name (type\_parameters)} = \begin{array}{l} \text{constructor}_1 t_{11} \dots t_{1i} \\ | \\ \text{constructor}_2 t_{21} \dots t_{2j} \\ | \\ \dots \\ | \\ \text{constructor}_n t_{n1} \dots t_{nk} \end{array}$$

### Examples:

```
data Book = Book Int String [String]
```

```
data Color = White | Black | RGB Int Int Int
```

## Example: Recursive types

$$\text{data type\_name (type\_parameters)} = \begin{array}{l} \text{constructor}_1 t_{11} \dots t_{1i} \\ | \\ \text{constructor}_2 t_{21} \dots t_{2j} \\ | \\ \dots \\ | \\ \text{constructor}_n t_{n1} \dots t_{nk} \end{array}$$

### Example:

```
data Tree = Leaf | Branch Tree Tree
```



## Example: Polymorphic types

$$\text{data type\_name (type\_parameters)} = \begin{array}{l} \text{constructor}_1 t_{11} \dots t_{1i} \\ | \\ \text{constructor}_2 t_{21} \dots t_{2j} \\ | \\ \dots \\ | \\ \text{constructor}_n t_{n1} \dots t_{nk} \end{array}$$

### Examples:

```
data Maybe a = Nothing | Just a
```

```
data List a = Nil | Cons a (List a)
```

```
data Tree a = Leaf a | Branch (Tree a) (Tree a)
```

## Summary of 9/14 Discussion

Things in model	Expression	Type
relations	verbs	String
entities	nouns	String
?	adjectives	String
truth values	sentences	String

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- ▶ How to represent a model in Haskell?

## Summary of 9/14 Discussion

Things in model	Expression	Type
relations	verbs	String
entities	nouns	String
?	adjectives	String
truth values	sentences	String

- ▶ How to represent a model in Haskell?
- ▶ Truth values (True, False) are objects of type Bool

# A Model of a Fragment of English

- ▶ Declare a data type Entity

```
data Entity = A | B | C | D | E | F | G
            | H | I | J | K | L | M | N
            | O | P | Q | R | S | T | U
            | V | W | X | Y | Z | Unspec
            deriving (Eq,Show,Bounded,Enum)
```

# A Model of a Fragment of English

- ▶ Declare a data type `Entity`

```
data Entity = A | B | C | D | E | F | G
            | H | I | J | K | L | M | N
            | O | P | Q | R | S | T | U
            | V | W | X | Y | Z | Unspec
            deriving (Eq, Show, Bounded, Enum)
```

- ▶ We can put all of our entities in a list

```
entities :: [Entity]
entities = [minBound..maxBound]
```

# A Model of a Fragment of English

- ▶ Proper names are interpreted as entities

```
snowWhite, alice, dorothy, goldilocks, littleMook, atreyu  
:: Entity
```

```
snowWhite = S  
alice      = A  
dorothy    = D  
goldilocks = G  
littleMook = M  
atreyu     = Y
```

# A Model of a Fragment of English

- ▶ Proper names are interpreted as entities

```
snowWhite, alice, dorothy, goldilocks, littleMook, atreyu  
:: Entity
```

```
snowWhite = S  
alice      = A  
dorothy   = D  
goldilocks = G  
littleMook = M  
atreyu    = Y
```

- ▶ Not all nouns are interpreted as entities, though
  - ▶ Common nouns such as *girl* and *dwarf* are more like sets of entities, or properties of entities (unary relations)